



Preview – Information



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- ✓ A selection of worksheets included in the workbook.

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Manitoba Math Curriculum Shape & Space – Grade 8

3-Part Lesson Format

Part 1 – Minds On!

- Learning Goals
- Discussion Questions
- Quotes
- And More!

Learning Goal

We are learning to describe and use the Pythagorean relationship with different geometric models so we can solve problems to find missing side lengths in right triangles.



Pythagorean Theorem – Missing Side

a b c

Find the value of the missing side. Record your answer as a square root. Drag the numbers and labels to answer.

2 √ = 1 2 3 4 5 6 7 8 9 0

1) $a^2 + b^2 = c^2$ $12^2 + 6^2 = c^2$ $144 + 36 = c^2$ $\sqrt{180} = c$ $c = \sqrt{180}$	2)	3)	4)
---	----	----	----

Part 2 – Action!

- Writing
- Matching
- Drag and Drop
- Drawing
- And More!

Part 3 – Consolidation!

- Exit Cards
- Quizzes
- Reflection
- And More!

Consolidation – Multiple-Choice Questions

Drag the checkmark to answer the following multiple-choice questions about the topic.

1) In a right triangle, the side opposite the right angle is called:	2) Which geometric model BEST demonstrates the Pythagorean relationship?	3) Which of the following sets of side lengths forms a right triangle?
a) The adjacent side	a) Three circles whose areas add up	a) 7 cm, 24 cm, 25 cm
b) The base	b) Three squares built on the sides of a right triangle	b) 6 cm, 8 cm, 15 cm
c) The altitude	c) A rectangle divided into two triangles	c) 5 cm, 12 cm, 20 cm
d) The hypotenuse	d) A hexagon inside a circle	d) 8 cm, 9 cm, 16 cm





Manitoba Math Curriculum

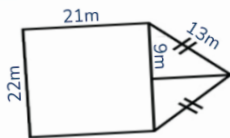
Shape & Space – Grade 8

Area of Composite Polygons

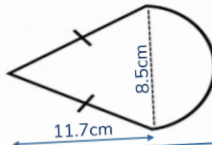
Find the area of each composite polygon below.
Drag the numbers to complete the equations.

cm mm m

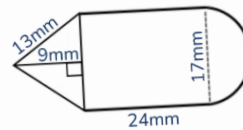
1 2 3 4 5 6 7 8 9 0.



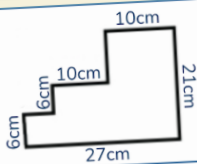
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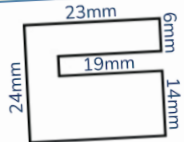
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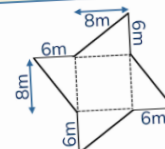
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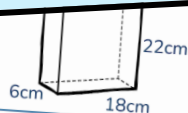
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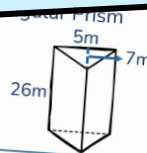
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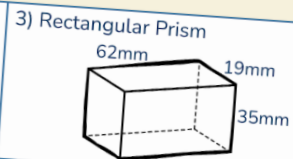
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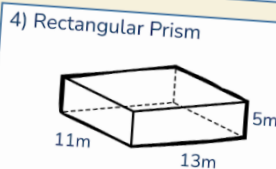
Surface area = _____



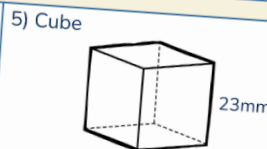
Surface area = _____



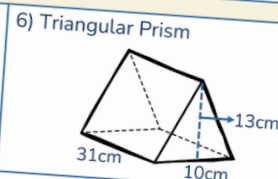
Surface area = _____



Surface area = _____

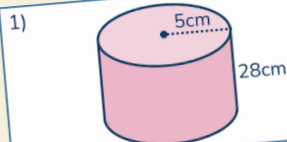


Surface area = _____

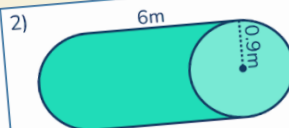


Surface area = _____

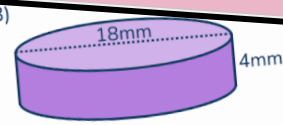
Find the surface area of the 3D objects below.



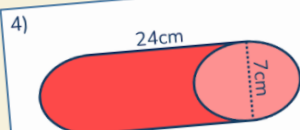
Surface area = _____



Surface area = _____



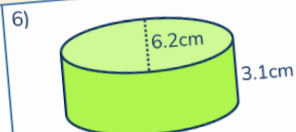
Surface area = _____



Surface area = _____



Surface area = _____



Surface area = _____



Manitoba Math Curriculum

Shape & Space – Grade 8

Circumferences Word Problems

1) Nathan is planning to buy a new rug. The rug is circular with a diameter of 3.2 m. What is the circumference of the rug?

2) Liam wraps a rope tightly around a tree trunk. If the rope makes exactly one full loop and the rope length is 314 cm, what is the diameter of the tree trunk?

Fill in the blanks below.

cm mm m km

1 2 3 4 5 6 7 8 9 0

1)  Area _____ Perimeter _____

2)  Area _____ Perimeter _____

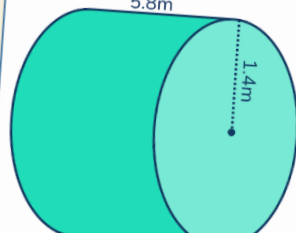
3)  Area _____ Perimeter _____

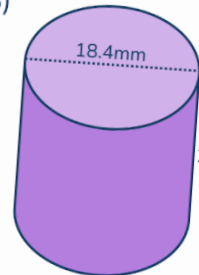
4)  Area _____ Perimeter _____

5)  Area _____ Perimeter _____

6)  Area _____ Perimeter _____

1)  Area of the Base= _____ Volume: _____

2)  Area of the Base= _____ Volume: _____

3)  Area of the Base= _____ Volume: _____

Grade 8
SHAPE AND SPACE
Measurement

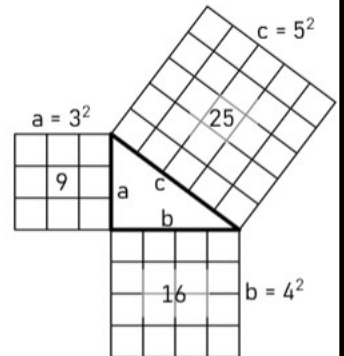
	Curriculum Expectations	Pages That Cover the Expectations
SS.1	Develop and apply the Pythagorean theorem to solve problems.	3 – 17
Preview of 50 pages from this product that contains 195 pages total.		
SS.3	• right rectangular prisms • right triangular prisms • right cylinders to solve problems.	38 – 62
SS.4	Develop and apply formulas for determining the volume of right prisms and right cylinders.	63 – 74

Pythagorean Theorem - Intro

The properties of a right triangle can be used to find an unknown side length. The longest side of a right triangle is always opposite the 90° angle and is called the **hypotenuse**.

The formula for calculating the length of the hypotenuse is: $a^2 + b^2 = c^2$

- If side a is 3 units long, then a square on this side has an area of 3^2 or 9.
- If side b is 4 units long, then a square on this side has an area of 4^2 or 16.
- If the square on side c is equal to the combined areas of the squares on sides a and b , then the square on side c must have an area of 25 (square units $9 + 16$). This means the length of side c must be $\sqrt{25}$ or 5.



Part 1

Label the sides of the right triangles: a , b , and c



Part 2

Evaluate

	Question	Answer
1)	3^2	
2)	8^2	
3)	10^2	
4)	$\sqrt{36}$	

	Question	Answer
5)	$\sqrt{144}$	
6)	$\sqrt{16}$	
7)	7^2	
8)	$\sqrt{81}$	

Part 3

Label the triangles: a , b , c and fill in the blanks to find their values

1)

$a^2 + b^2 = c^2$

____ + ____ = ____

Hypotenuse = ____

2)

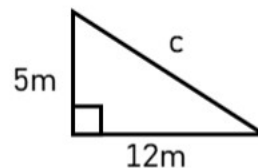
$a^2 + b^2 = c^2$

____ + ____ = ____

Hypotenuse = ____

Pythagorean Theorem - Missing Side

The most common use of the Pythagorean Theorem is to find the value of a side on a right-triangle. We do this by applying our understanding of simplifying algebraic equations. To find the value of the hypotenuse, simply plug the values into the equation.



Solution

$$a^2 + b^2 = c^2$$

$$5^2 + 12^2 = c^2$$

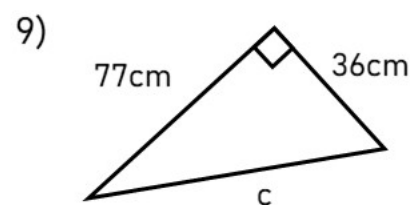
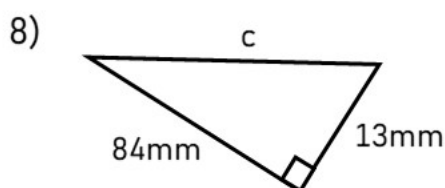
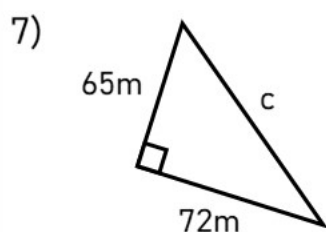
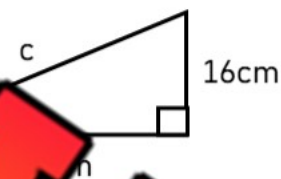
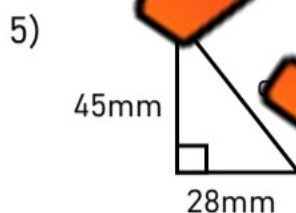
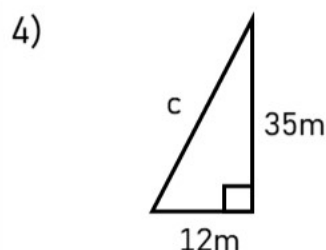
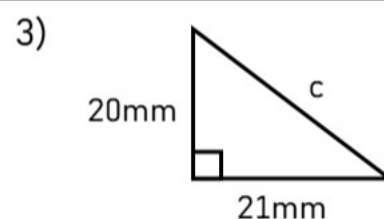
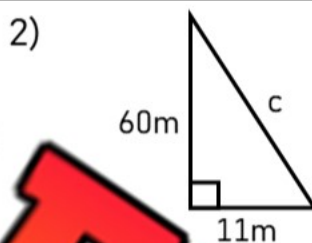
$$25 + 144 = c^2$$

$$\sqrt{169} = \sqrt{c^2}$$

$$13 = c$$

Question

Find the value of the hypotenuse



Pythagorean Theorem - Word Problems

Questions

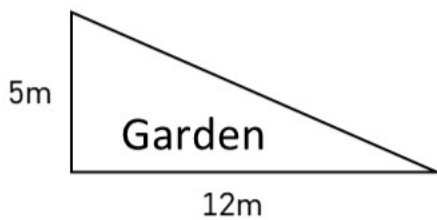
Answer the word problems below

- 1) Find the hypotenuse of a right triangle with a base of 10cm and a height of 6cm.

- 2) Lily walked 4 km south and 3 km east. Calculate how far Lily is away from her starting point.

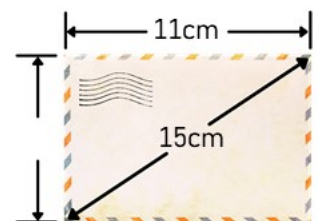


- 3) Julian built a triangular garden with the dimensions below. If he wanted to put a fence around his garden, how long would the fence need to be?



- 4) Ivy's house is a rectangular shape that is 15m wide by 9m high. Calculate the diagonal of her house (from corner to corner)?

- 5) An envelope has the dimensions below. What is the height of the envelope?



Pythagorean Theorem - Word Problems

Questions

Answer the word problems below

- 1) Robert has a 4m ladder that he is using to get as high as possible to hang his Christmas lights. He puts the ladder 2 metres away from the wall.

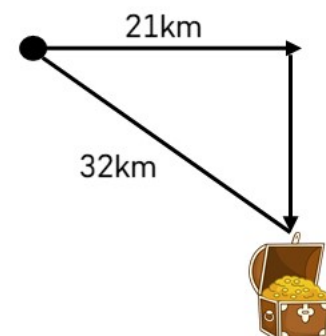
- a) Label the dimensions on the diagram
- b) How high is the top of the ladder off the ground?



- 2) Howard has a huge ladder to reach a very tall bookshelf. He needs to climb 9m to find the books. He wants the top of the ladder to be at the height of the book he wants. How far away from the bookshelf did he put the ladder?



- 3) A pirate is on a treasure hunting mission. His GPS tells him he is 32km away from the treasure. He decides to travel 21km due east. The GPS now tells him that the treasure is due south from where his boat is. How far south does he need to travel to find the treasure?



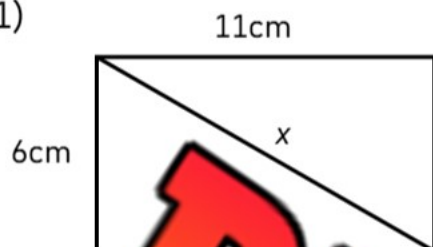
Pythagorean Theorem - Missing Side

Questions

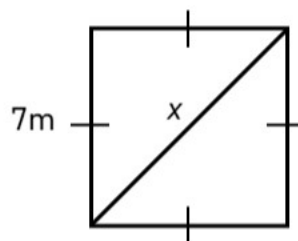
Find the value of x .

Round the answer to the nearest tenth or leave as a square root

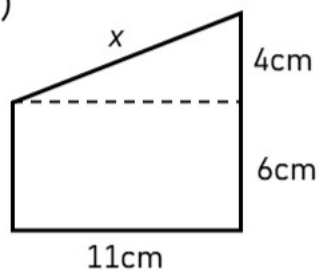
1)



2)



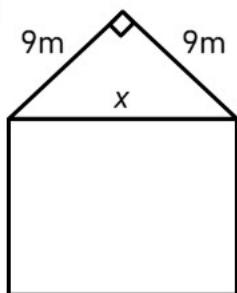
3)



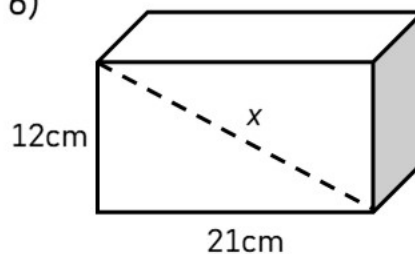
4)



5)



6)



Pythagorean Theorem - Word Problems

Questions

Answer the word problems below

- 1) TVs are measured diagonally from corner to corner. Jeffrey wants a 150cm TV. He likes the look of one that has a base of 140cm and a height of 54cm. Is the TV 150cm diagonally?



- 2) To get from point A to point B, you need to walk around the pond. To avoid the pond, you walk the path and 40 metres. To the nearest metre, how many metres would you have saved if you could have walked through the pond?



- 3) A baseball diamond is a square with sides of 30m. What is the distance between first base and third base?

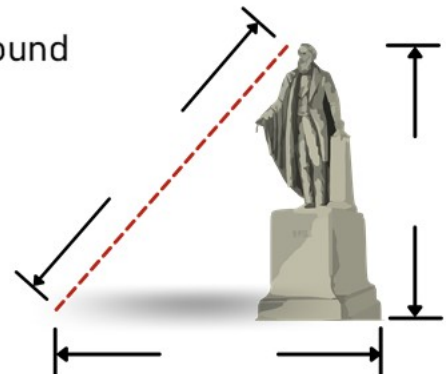
- 4) The local fire department has been called to a burning building. They need their ladder to reach the 4th floor, which is 22m high. They know that the ladder will need to be at least 12m away from the building. If they brought a 25m ladder, will they reach the fourth floor?

Pythagorean Theorem - Word Problems

Questions

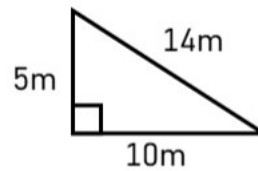
Answer the word problems below

- 1) Steven brings his hang glider 30m to the top of a mountain. He travels southeast 60m before landing on the ground. How far does he need to walk back to the base of the mountain?
- 2) A flagpole is 10m tall and casts a shadow of 6m on the ground away from the base of the pole. What is the distance from the top of the flagpole to the end of the shadow?
- 3) A building casts a shadow on the ground 12m long. The length from the top of the building to the end of the shadow is 13m. How tall is the building?
- 4) A statue is 8m tall and it casts a shadow on the ground that is 6m long. What is the length from the top of the statue to the end of the shadow?



Identify Right Triangles - Pythagorean Theorem

We can use the Pythagorean Theorem to find out if a triangle is a right triangle or not. If we have all the measurements of the triangle, we can plug them into the equation. If the equation is true, the triangle is a right triangle and if it is false, it is not.



Solution

$$\begin{aligned} a^2 + b^2 &= c^2 \\ 5^2 + 10^2 &= 14^2 \\ 25 + 100 &= 196 \\ 125 &\neq 196 \end{aligned}$$

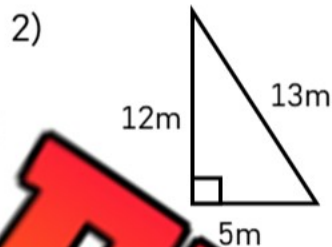
This equation is false, therefore this is not a right triangle

Question

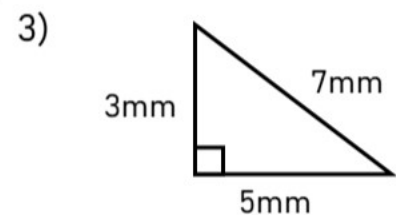
Is the triangle a right triangle?



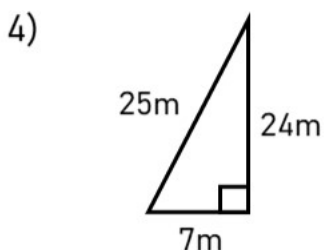
Yes No



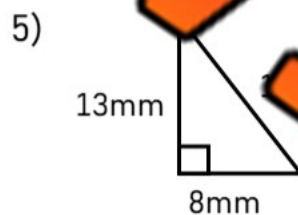
Yes No



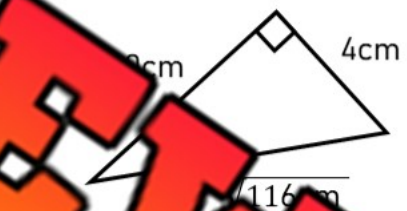
Yes No



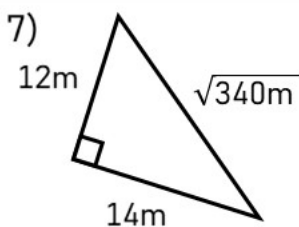
Yes No



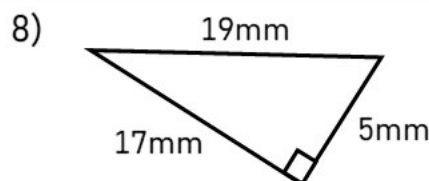
Yes No



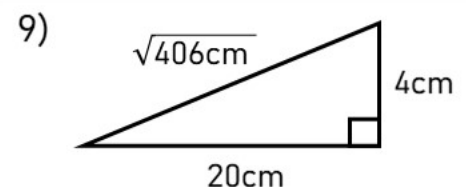
Yes No



Yes No



Yes No



Yes No

Name: _____

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Pythagorean Theorem - Quiz

Part 1

Label the sides of the right triangles: a, b, and c

1)	2)	3)	4)
----	----	----	----

Part 2

Calculate

	Question	Answer
1)	7^2	
2)	9^2	
3)	$\sqrt{16}$	

	Question	Answer
4)	$\sqrt{121}$	
5)	$\sqrt{64}$	
	6^2	

Part 3

Find the value of the missing side length

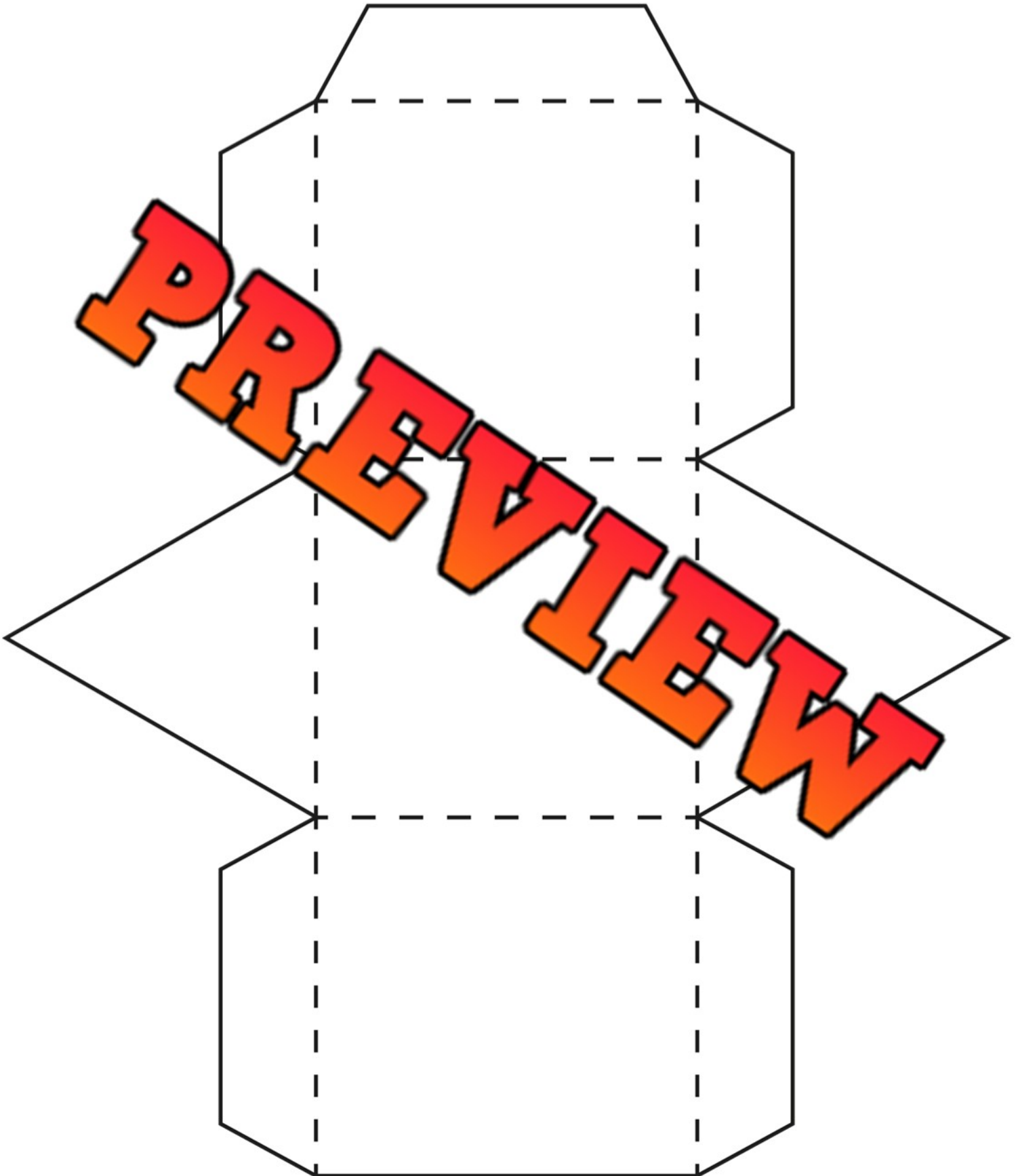
1)	2)	3)
4)	5)	6)

Name: _____

18

Curriculum Connection
SS.2

3D Model - Triangle Based Prism Net

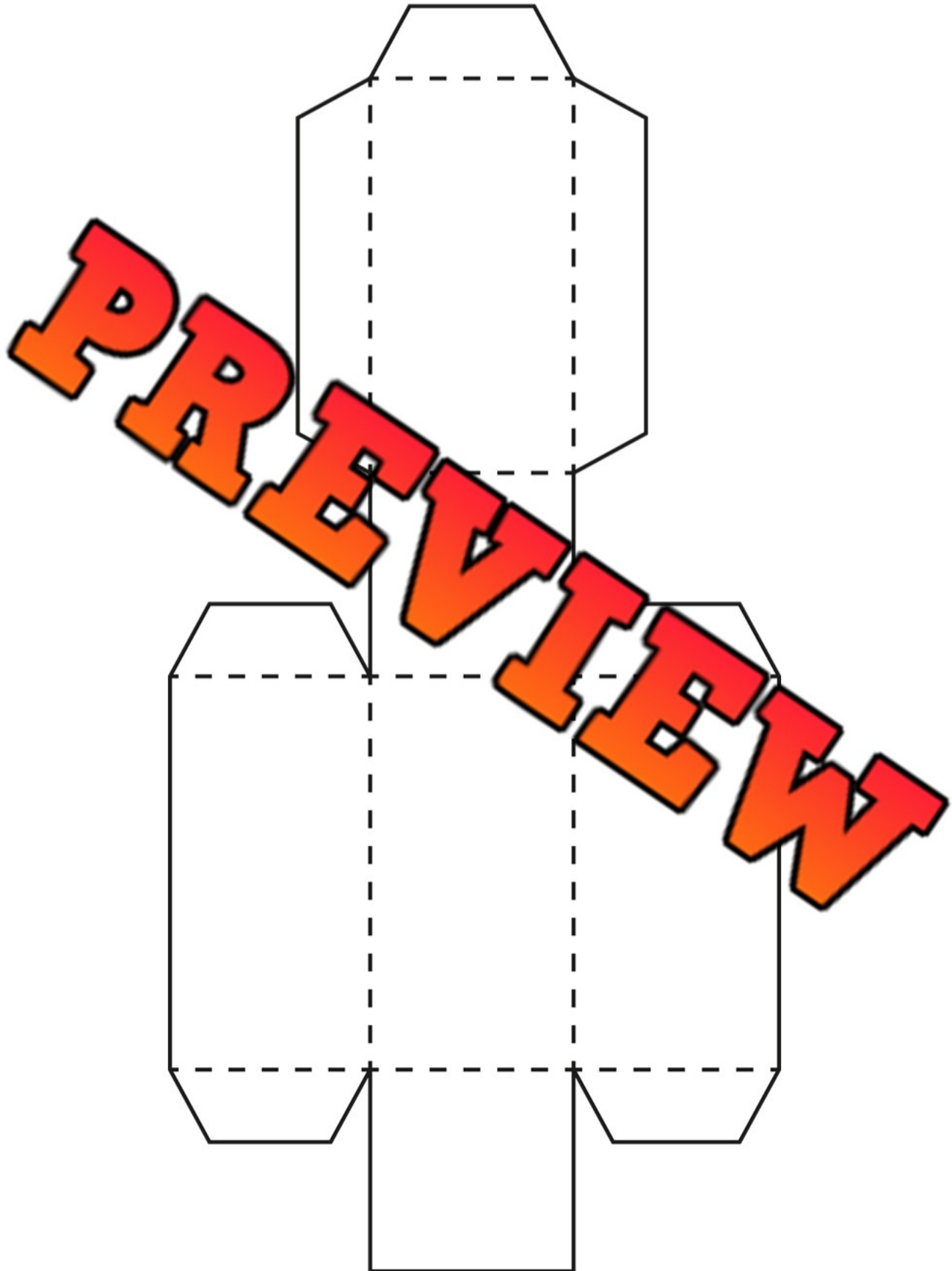


Name: _____

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Curriculum Connection
SS.2

3D Model - Rectangle Based Prism Net

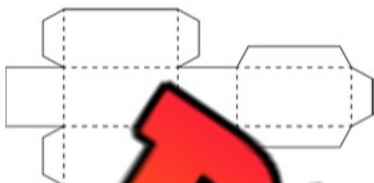


Nets Representing 3D Objects

Questions

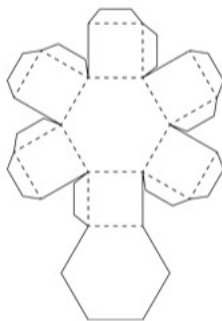
Identify and circle the 3D object formed by each net

1)



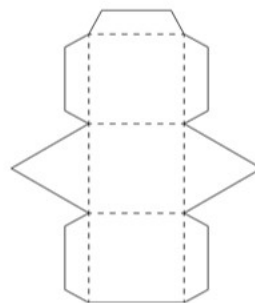
- Rectangular Prism
- Cylinder
- Cube

2)



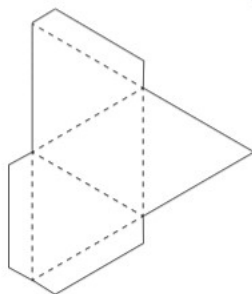
- Rectangular Prism
- Pentagonal Prism
- Triangular Prism

3)



- Rectangular Prism
- Pentagonal Prism
- Triangular Prism

4)



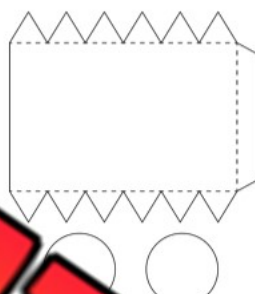
- Rectangular Pyramid
- Pentagonal Pyramid
- Triangular Pyramid

5)



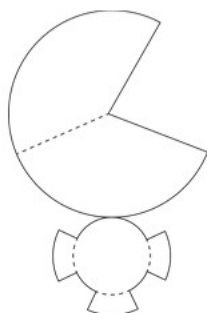
- Rectangular Pyramid
- Square Pyramid
- Triangular Pyramid

6)



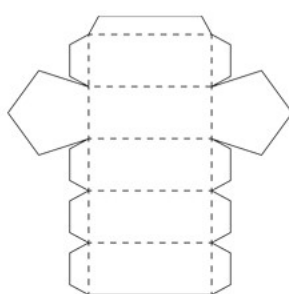
- Rectangular Prism
- Cylinder
- Cube

7)



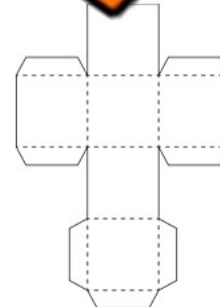
- Rectangular Prism
- Cylinder
- Cone

8)



- Rectangular Prism
- Pentagonal Prism
- Cube

9)



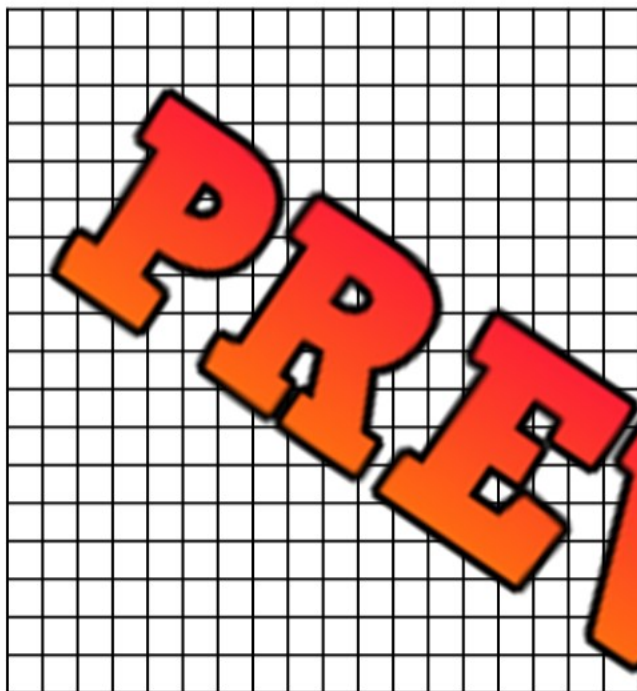
- Rectangular Prism
- Pentagonal Prism
- Cube

Drawing Nets - 3D Objects

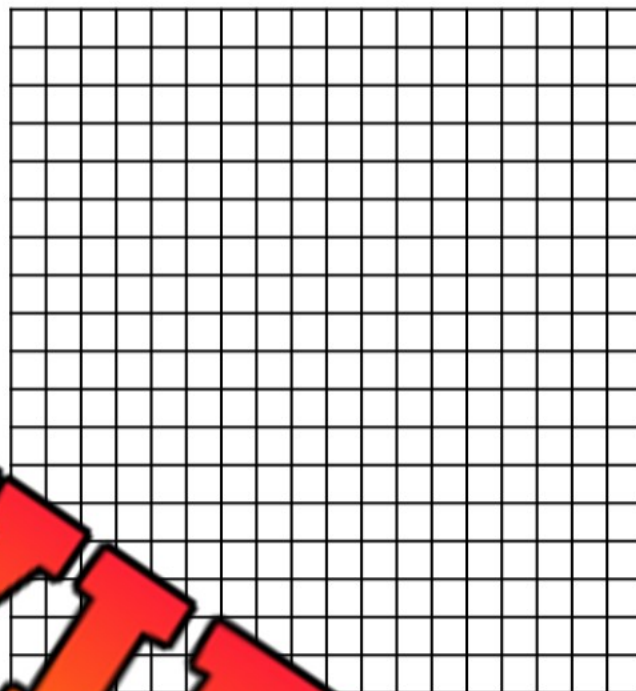
Questions

Draw the 3D objects using the grids below

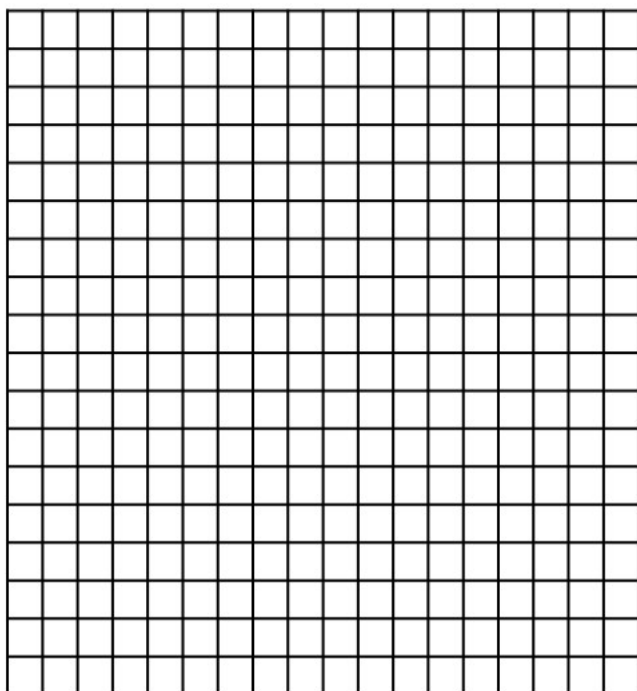
1) Rectangular Prism



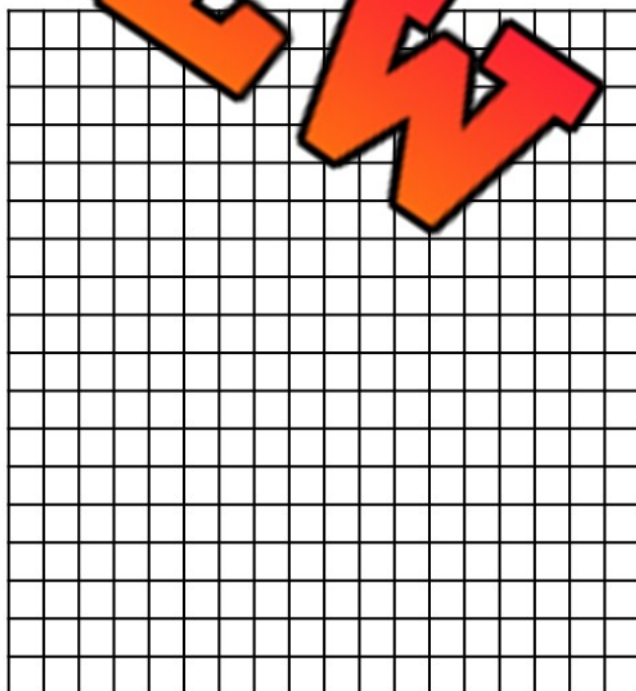
2) Rectangular Prism



3) Triangular Prism



4) Triangular Prism



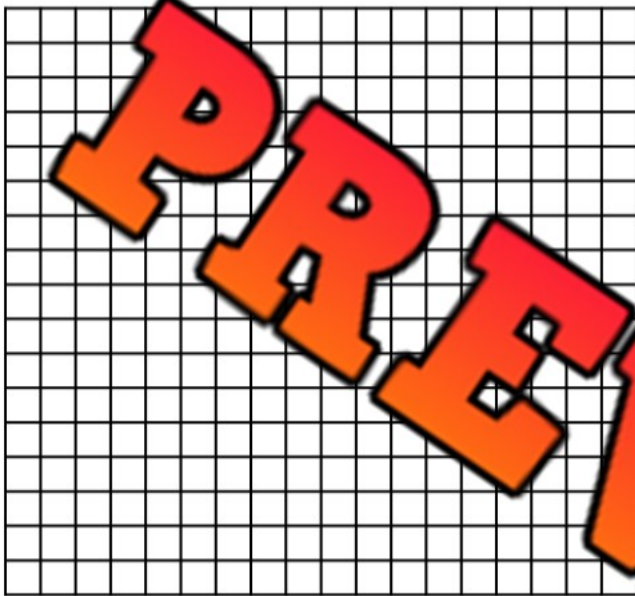
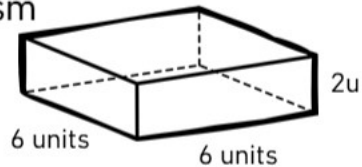
PREVIEW

Drawing Nets - 3D Objects

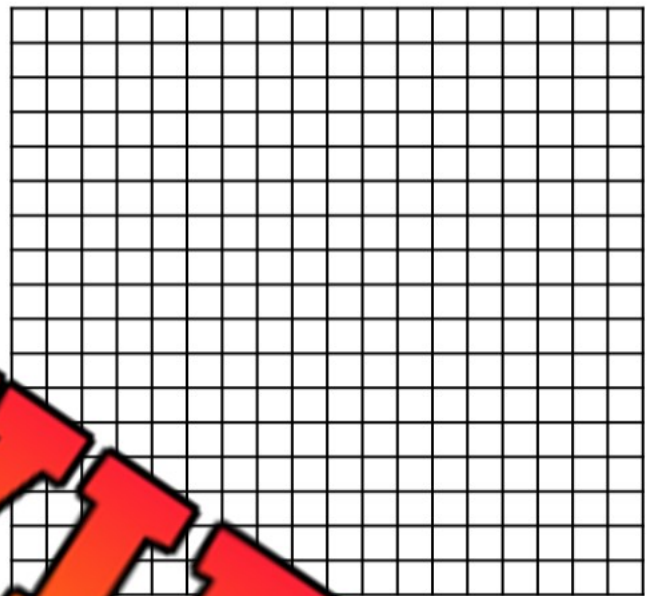
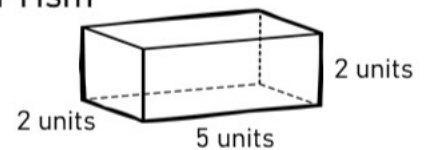
Questions

Draw the nets based on the dimensions provided

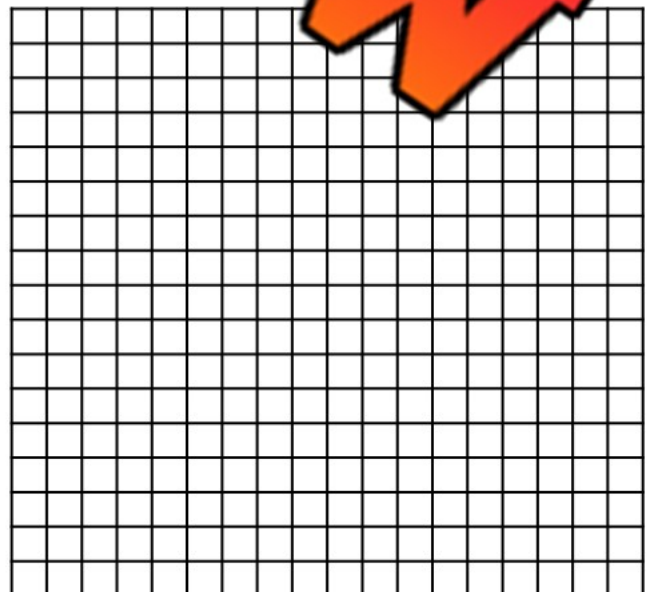
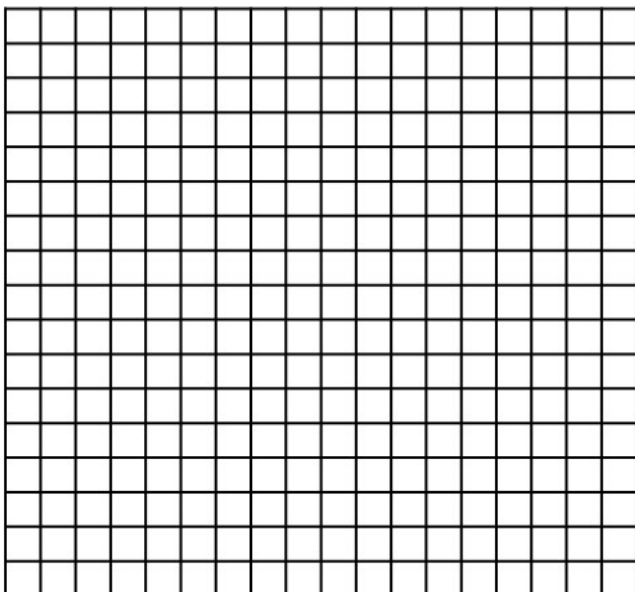
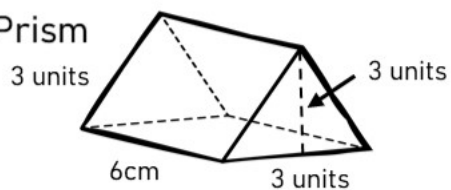
1) Rectangular Prism



2) Rectangular Prism



3) Triangular Prism



Name: _____

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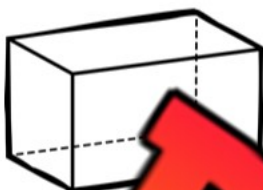
Curriculum Connection
SS.2

Drawing Nets - 3D Objects

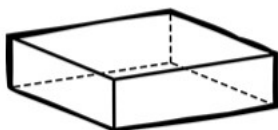
Questions

Draw two different nets of the 3D objects

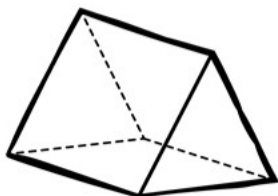
1)



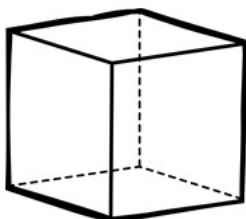
2)



3)



4)



PREVIEW

Name: _____

40

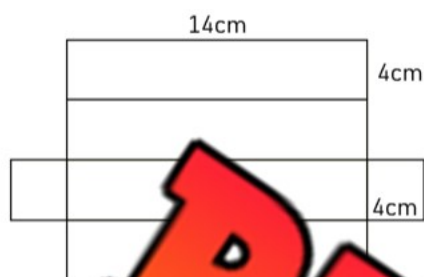
Curriculum Connection
SS.3

Surface Area Using Nets - Rectangular Prisms

Questions

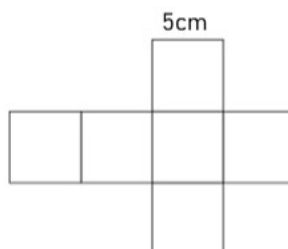
Find the surface area of the 3D objects using the nets below

1)



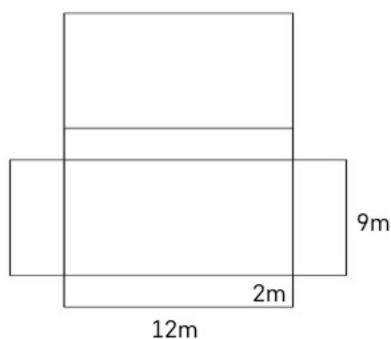
Surface Area: _____

2)



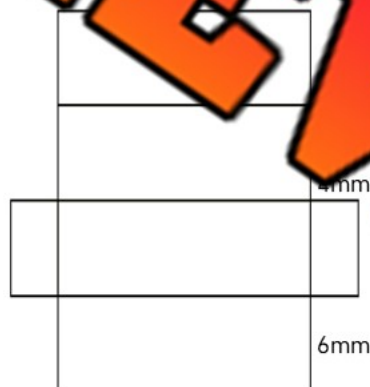
Surface Area: _____

3)



Surface Area: _____

4)

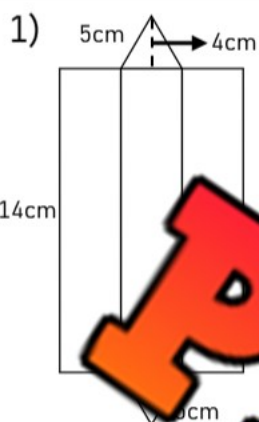


Surface Area: _____

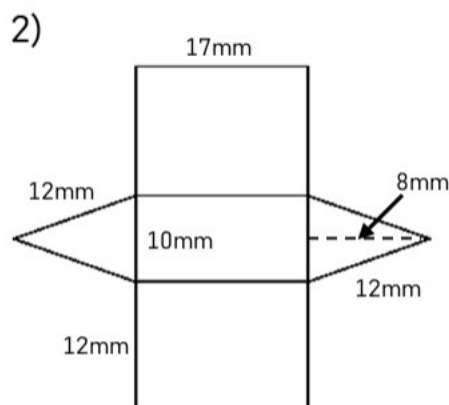
Surface Area Using Nets - Triangular Prisms

Questions

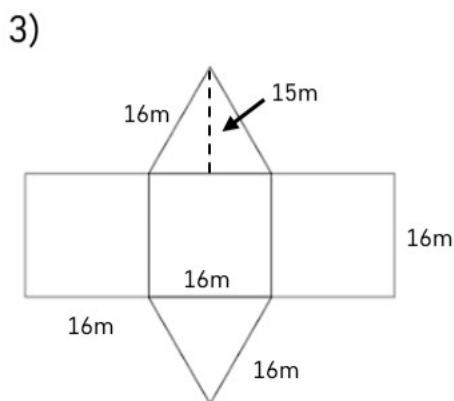
Find the surface area of the 3D objects using the nets below



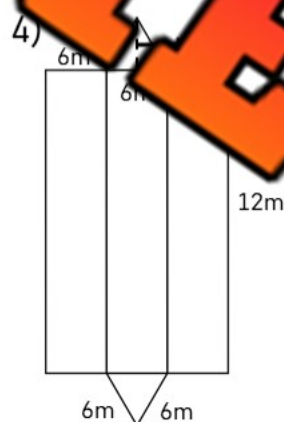
Surface Area: _____



Surface Area: _____



Surface Area: _____



Surface Area: _____

Name: _____

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Curriculum Connection
SS.3

Surface Area Using Nets - Rectangular Prisms

Questions

Find the surface area of the 3D objects below

Workspace

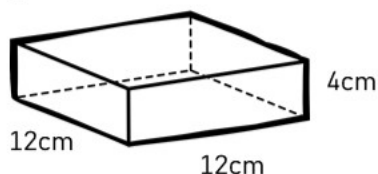
Draw the Net

1)



Surface Area: _____

2)



Surface Area: _____

Name: _____

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Curriculum Connection
SS.3

Surface Area Using Nets - Triangular Prisms

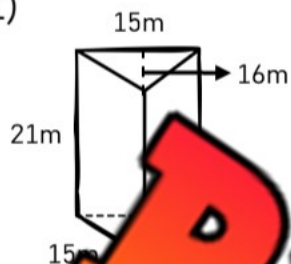
Questions

Find the surface area of the 3D objects below

Workspace

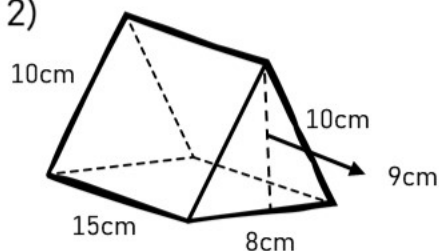
Draw the Net

1)



Surface Area: _____

2)



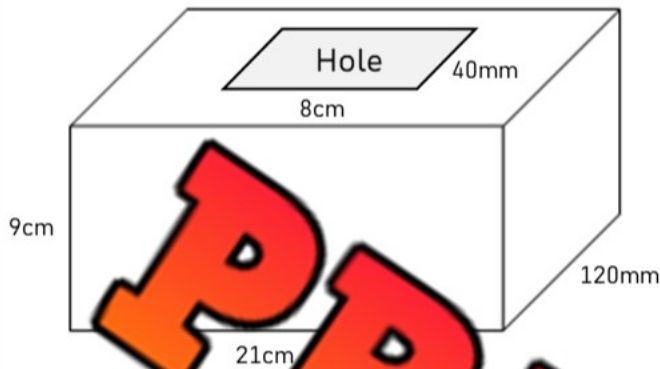
Surface Area: _____

Surface Area - Prism - Word Problems

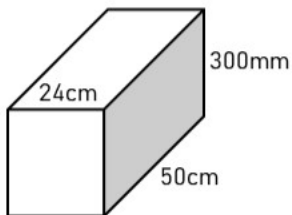
Questions

Solve the word problems below

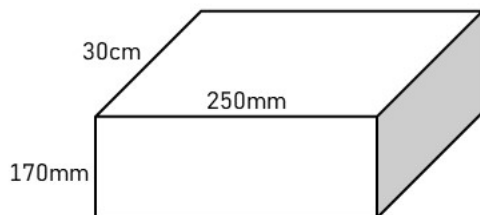
- 1) Find the surface area of the tissue box below.



- 2) Edward is painting his mailbox and needs to find the surface area so he can buy the amount of paint he needs. The mailbox has no door on the front. Find the surface area of the mailbox in the diagram below.



- 3) Kaitlyn needs to wrap her mom's birthday present. She has enough wrapping paper to cover a surface area of 3500cm^2 . Does she have enough paper?



Surface Area - Prism - Word Problems

Questions

Solve the questions below

Lisa is planning to lay bricks on her outdoor fireplace. Her fireplace is a rectangular prism, and she wants to brick all sides, except the bottom.

- a) What is the surface area of the fireplace, excluding the bottom?



- b) What is the surface area of the fireplace (including the bottom) in cm^2 ?

- c) If the surface area of each brick is 500cm^2 , how many bricks will Lisa need to cover her fireplace (excluding the bottom)?

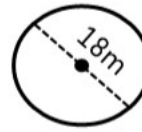


- d) If each brick costs \$0.79, how much will it cost to cover the fireplace?

Area of a Circle - Diameter

When we know the diameter of a circle, we can divide it by two to get the radius. Once we have the radius, we can use it to calculate the area of a circle using the formula: $a = \pi r^2$

Calculating Area Using Diameter



$$a = \pi r^2$$

$$\text{diameter} = 18, \text{radius} = 9$$

$$a = \pi \times 9 \times 9$$

$$a = 254.34\text{m}^2$$

Practice

Calculate the area of the circles using the radius

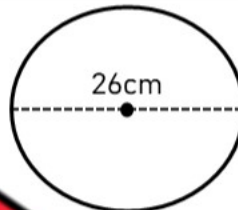
1)

Diameter = _____

Radius = _____

Area = _____

2)

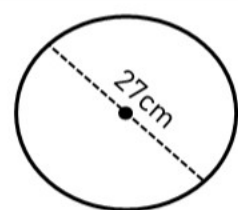


Diameter = _____

Radius = _____

Area = _____

3)

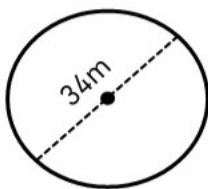


Diameter = _____

Radius = _____

Area = _____

4)



Diameter = _____

Radius = _____

Area = _____

5)



Diameter = _____

Radius = _____

Area = _____

6)



Diameter = _____

Radius = _____

Area = _____

Word Problems

Solve the problems below

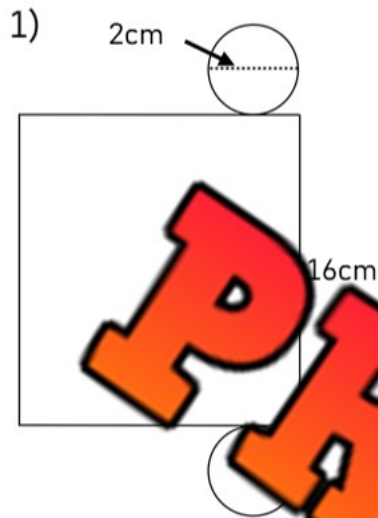


	Questions	Answer
1)	A dinner plate has a diameter of 19cm. What is the area of the plate?	
2)	A circular table is 1.3 metres wide. What is the area of the table in centimetres?	

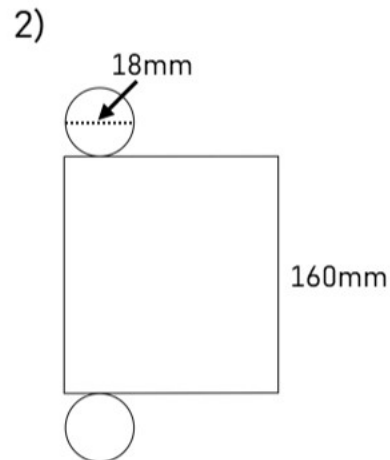
Surface Area Using Nets - Cylinders

Part 1

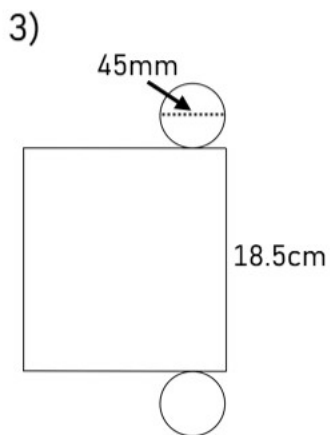
Solve the questions below



Surface Area: _____



Surface Area: _____



Surface Area: _____

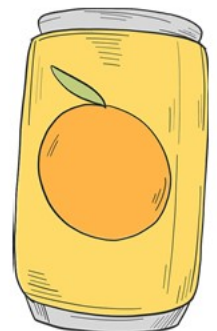


Surface Area: _____

Part 2

Solve the question below

A can is 13cm tall. The top of the can has a radius of 3cm. Draw the net of the can and calculate the surface area of the can.

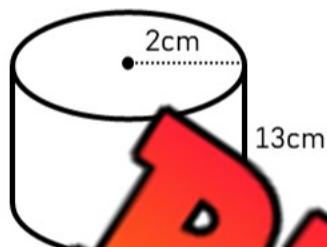


Surface Area - Cylinders

Questions

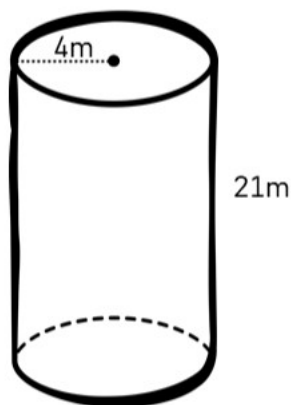
Solve the questions below

1)



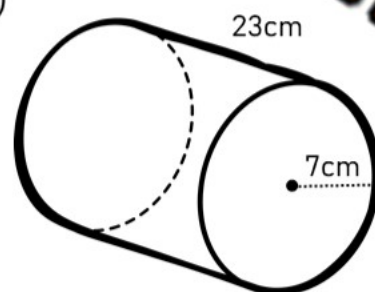
Surface Area: _____

2)



Surface Area: _____

3)



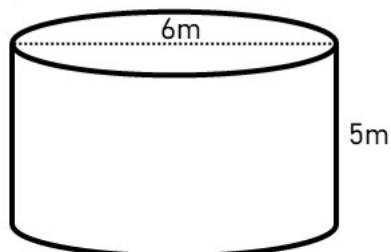
Surface Area: _____

4)



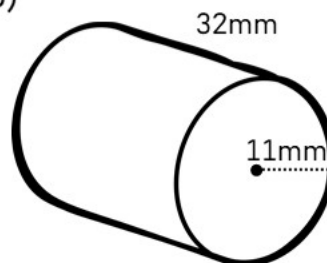
Surface Area: _____

5)



Surface Area: _____

6)



Surface Area: _____

Surface Area - Cylinders

Questions

Solve the questions below



1) A can of soup has a diameter of 9cm and a height of 19cm. What is the surface area of the can?

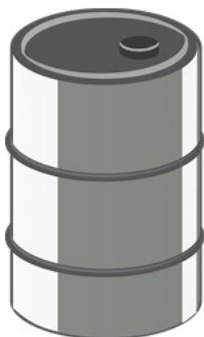


2) A can of tuna has a radius of 7.5cm and a height of 10cm. What is the surface area of the can?



3) A battery is made of two cylinders. The main battery cylinder has a radius of 4cm and a height of 8cm. The smaller cylinder on top of the battery has a diameter of 8cm and a height of 2cm.

What is the total surface area of the battery?



4) A barrel has a diameter of 74cm and a height of 1.62m. What is the surface area of the barrel?

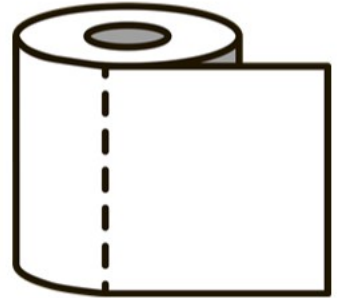
Surface Area Using Nets - Cylinders

Questions

Solve the questions below

1) A toilet paper roll is 16cm tall with a radius of 6cm. The inside cylinder is a hole. It has a diameter of 3cm.

What is the surface area of the toilet paper roll. Remember to account for the hole.



2) A wheel of brie cheese is 10cm tall. The cheese is 9cm long. What is the surface area of the full wheel of cheese?



3) A pot has no lid on top. The pot is 14cm tall and has a radius of 10cm. What is the surface area of the pot?



Calculating Volume Using the Base

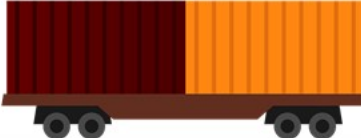
Part 1

Fill in the blanks to investigate the area of the base and the height

	Area of Base	Height	Volume
1)	10 cm ²		80 cm ³
2)	13 mm ²	6 mm	
3)		5 cm	75 cm ³
4)		8 mm	96 mm ³
5)		9 m	
6)	16		144 mm ³
7)			132 km ³
8)	15 m ²		210 m ³

Part 2

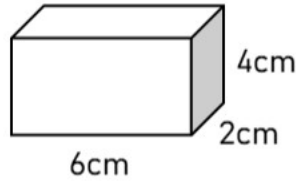
Answer the questions below

1)	A box of cereal has a base with a length of 10cm and a width of 9cm. The height of the box is 22cm. What is the volume of the box?	
2)	A juice box is 9cm wide and 5cm long. The height of the juice box is 12cm. What is the volume of the juice box?	
3)	A railway car is 6.5m long and 2.2m wide. The railway car is 3.1m tall. What is the volume of the railway car?	

Calculating Volume of Rectangular Prisms

Rectangular Prism - Calculating Volume

To find the volume of a rectangular prism, multiply the length by the width by the height.



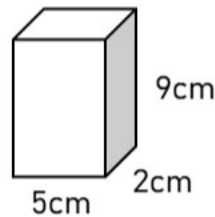
$$\begin{aligned}v &= l \times w \times h \\v &= 6\text{cm} \times 2\text{cm} \times 4\text{cm} \\v &= 48\text{cm}^3\end{aligned}$$

Question Calculate the volume of the rectangular prisms

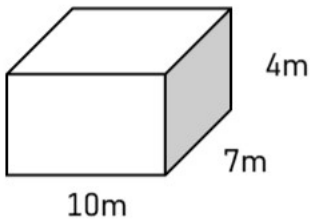
1)



2)



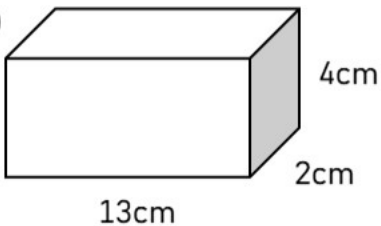
3)



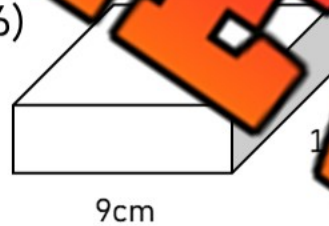
4)



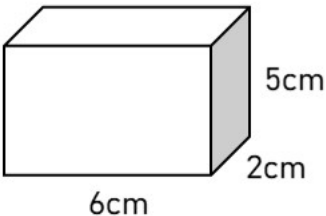
5)



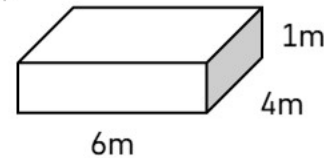
6)



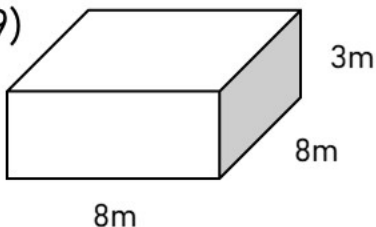
7)



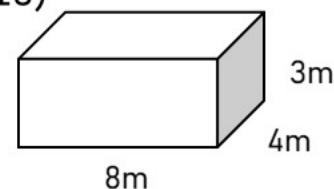
8)



9)



10)

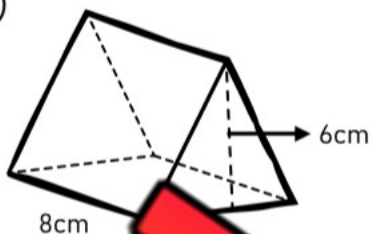


Volume - Triangular Prisms

Questions

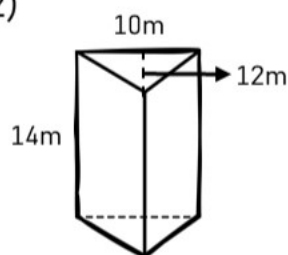
Find the volume of the triangular prisms below

1)



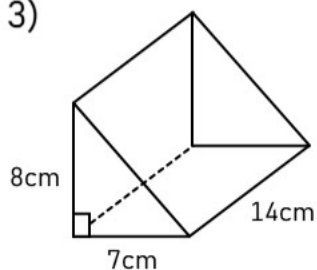
Volume: _____

2)



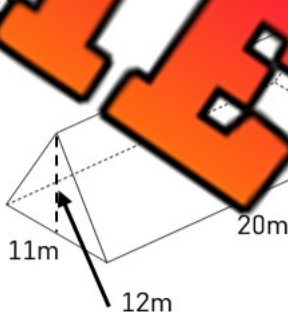
Volume: _____

3)



Volume: _____

4)



Volume: _____

Name: _____

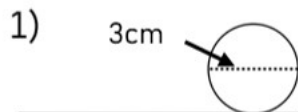
70

Curriculum Connection
SS.4

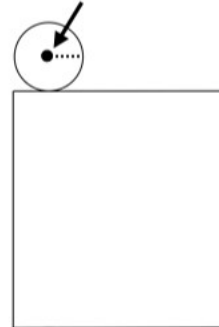
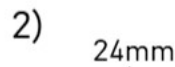
Volume - Cylinders

Part 1

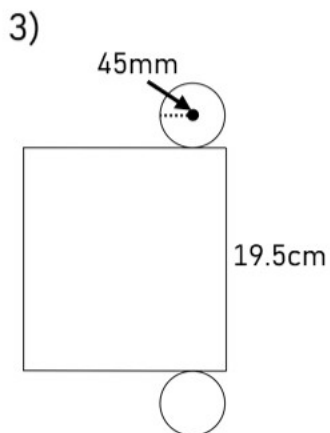
Solve the questions below



Area of the Base: _____ Volume: _____



Area of the Base: _____ Volume: _____



Area of the Base: _____ Volume: _____

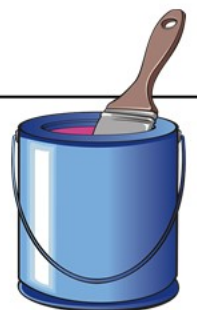


Area of the Base: _____ Volume: _____

Part 2

Solve the question below

A paint can is 54cm tall and has a diameter of 18cm. What is the volume of the paint can?



Name: _____

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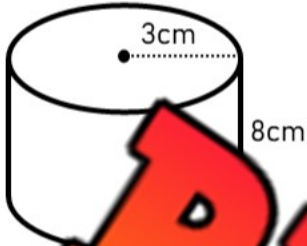
Curriculum Connection
SS.4

Volume - Cylinders

Questions

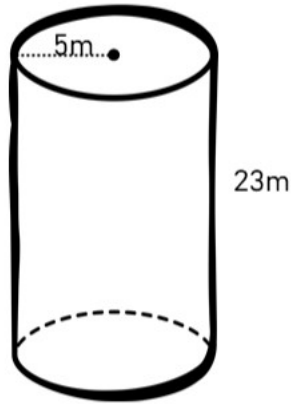
Solve the questions below

1)



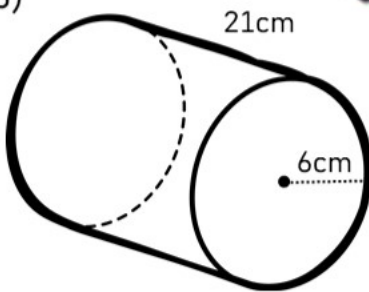
Area of the Base: _____ Volume: _____

2)



Area of the Base: _____ Volume: _____

3)



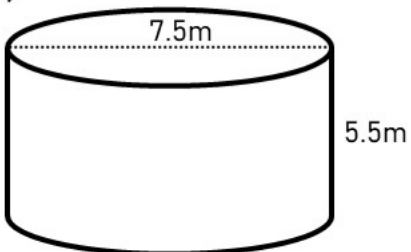
Area of the Base: _____ Volume: _____

4)



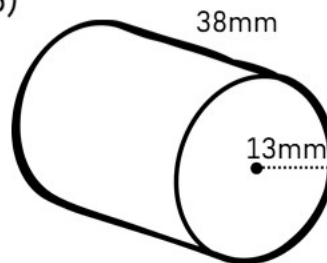
Area of the Base: _____ Volume: _____

5)



Area of the Base: _____ Volume: _____

6)



Area of the Base: _____ Volume: _____

Volume of Cylinders

Part 1

Fill in the blanks to investigate the area of the base and the volume

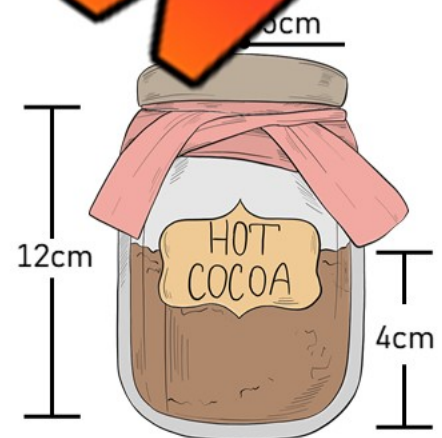
	Area of Base	Height	Volume
1)	8 mm^2	7 mm	
2)	15 cm^2	11 cm	
3)	m^2		114 m^3
4)	11 km^2		154 km^3
5)	m^2		119 mm^3
6)	18 cm^2	15 m	
7)	22 km^2		
8)	25 mm^2		175 mm^3

Part 2

Answer the questions below

A hot cocoa jar is 12cm tall. There are only 4 cm left of cocoa in the jar. The radius of the jar is 7cm.

- What is the volume of cocoa left in the jar?
- How much more cocoa would be needed to fill the jar?



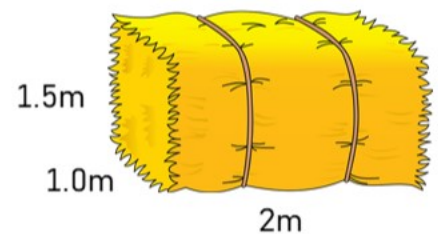
Volume of Cylinders

Questions

Answer the questions below

1) There are two types of hay bales – one that is in the shape of a cylinder and one that is in the shape of a rectangular prism. The cylinder-shaped hay bale is 300cm tall and 150cm long. The rectangular-shaped hay bale has the following dimensions: 1.5m by 1.0m by 2.0m.

a) Which one of hay bale contains more hay?



b) Joel thinks that you could make a cylinder-shaped hay bale out of 3 rectangular-shaped hay bales. Is he right? Explain.



2) You are planning to make candles to sell. What would the dimensions of the candles be?

a) Draw a picture of one of the candles and label the dimensions.

b) What is the volume of the candle?

c) For every 10cm^3 , it costs you 30 cents. How much would the candle cost you in total?

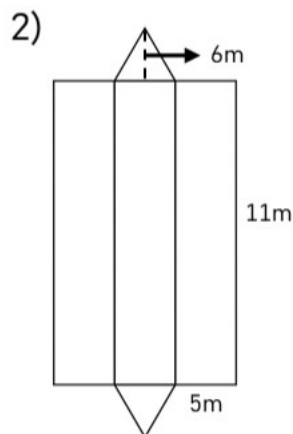
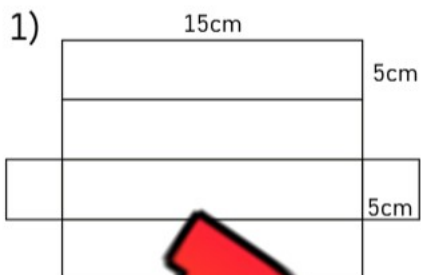
Name: _____

75

Unit Test - Surface Area and Volume

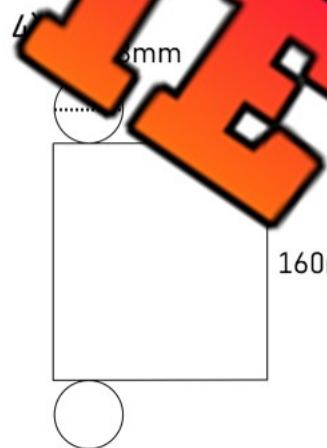
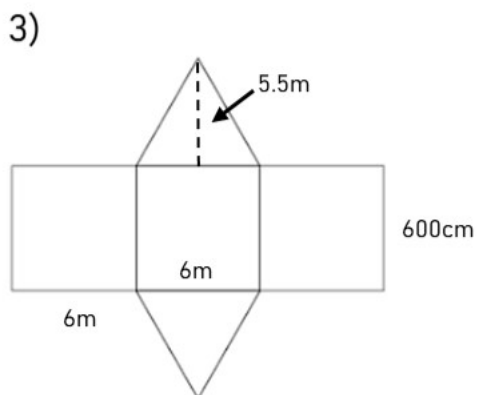
Part 1

Find the surface area of the 3D objects using the nets below



Surface Area: _____

Surface Area: _____



Surface Area: _____

Surface Area: _____

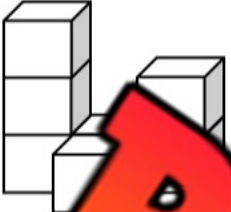
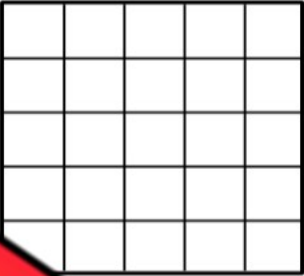
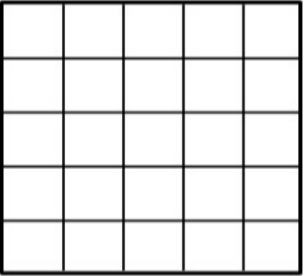
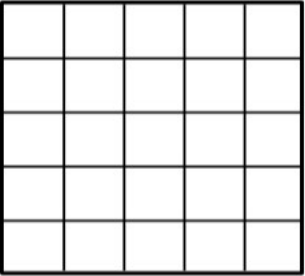
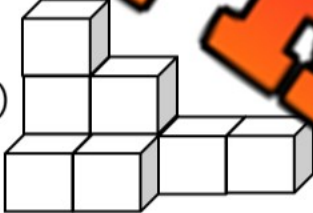
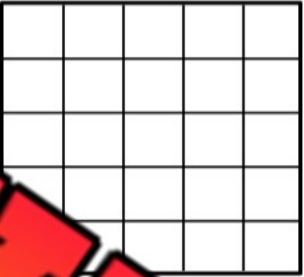
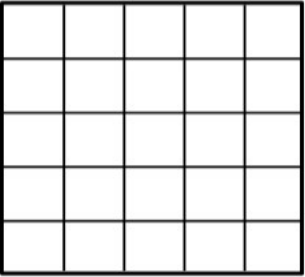
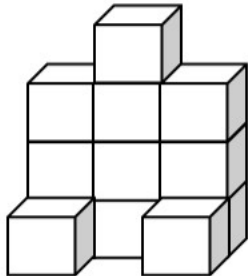
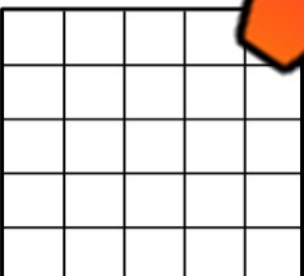
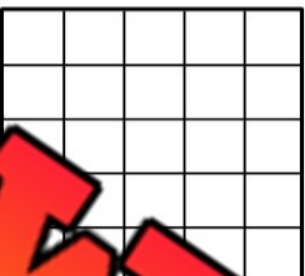
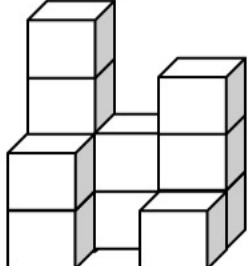
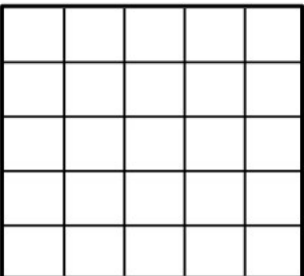
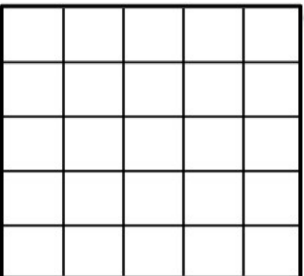
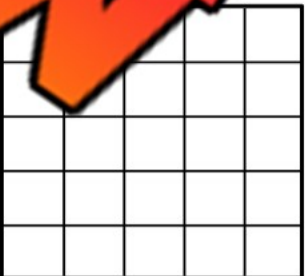
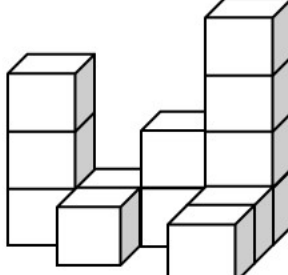
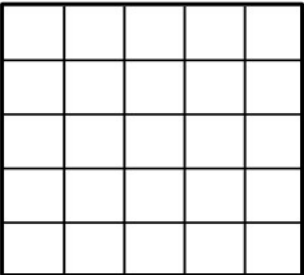
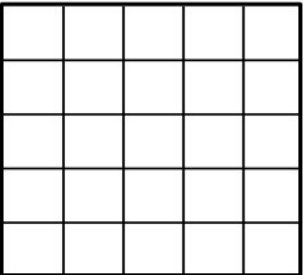
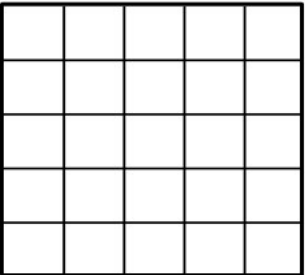
Grade 8
SHAPE AND SPACE
3-D Objects and 2-D Shapes
Transformations

	Learning Expectations	Pages That Cover the Expectations
SS.5	Draw and interpret front, top and side views of 3-D objects composed of right rectangular prisms	80 – 90
SS.6	Demonstrate an understanding of tessellations by: • explaining the properties of shapes that tessellate • creating tessellations • identifying tessellations in the environment	

Drawing Top, Front, and Side Views of Objects

Questions

Draw the top, front, and side view of the objects below

Original Shape	Top View	Front View	Side View
1) 			
2) 			
3) 			
4) 			
5) 			

Drawing Top, Front, and Side Views of Objects

Questions

Look at the front, top, and side views and circle the matching 3D object

1) Top View	Front View	Side View

2) Top View	Front View	Side View

3) Top View	Front View	Side View

4) Top View	Front View	Side View

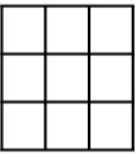
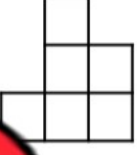
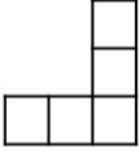
5) Top View	Front View	Side View

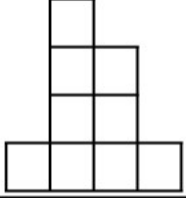
6) Top View	Front View	Side View

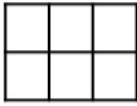
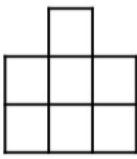
Drawing Top, Front, and Side Views of Objects

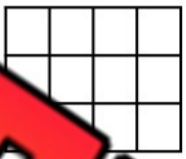
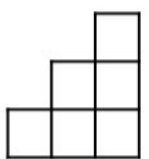
Questions

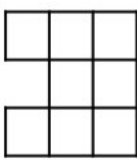
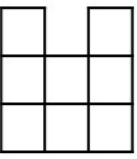
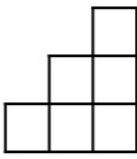
Draw the 3D objects by using the top, front, and side views

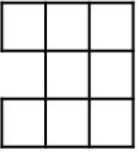
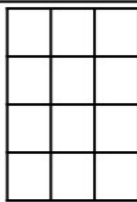
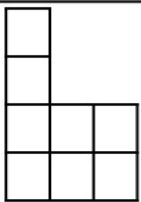
Top View	Front View	Side View
		
1)		

Top View	Front View	Side View
		
2)		

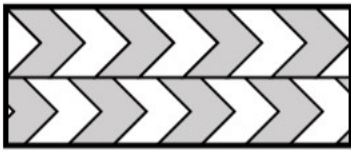
Top View	Front View	Side View
		
3)		

Top View	Front View	Side View
		
4)		

Top View	Front View	Side View
		
5)		

Top View	Front View	Side View
		
6)		

Intro to Tessellations



A **tessellation** is a tiling pattern in which shapes are fitted together with no gaps or overlaps. In the example tessellation, a white and grey chevron are tiled with no gaps and are not overlapping.

Questions

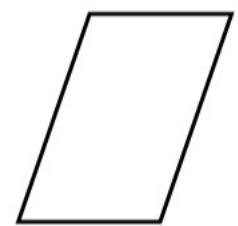
Can the shapes below be used by themselves in a tessellation?



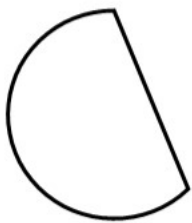
1) Yes No



2) Yes No



3) Yes No



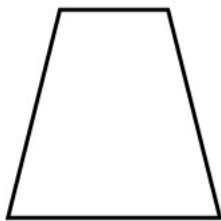
4) Yes No



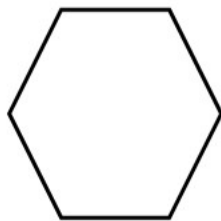
5) Yes No



6) Yes No



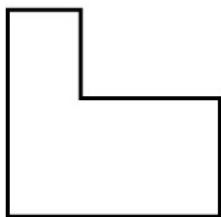
7) Yes No



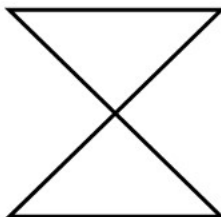
8) Yes No



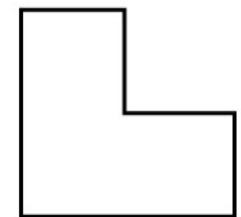
9) Yes No



10) Yes No



11) Yes No



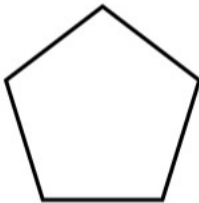
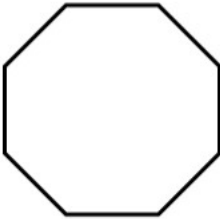
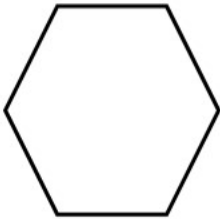
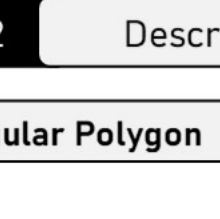
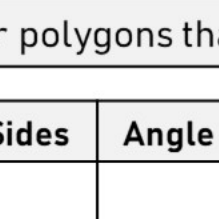
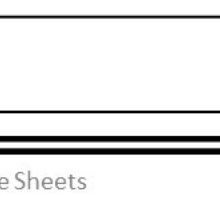
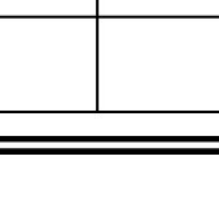
12) Yes No

Regular Polygons That Tessellate

A **regular polygon** is a shape that has equal sides and equal angles. There are only 3 regular polygons that can form tessellations by themselves. Other regular polygons can be used together to form a tessellation.

Part 1

Will the regular polygon tessellate?

	
1) Yes No	2) Yes No
	
3) Yes No	4) Yes No
	
5) Yes No	6) Yes No
	
7) Yes No	8) Yes No
	
9) Yes No	

Part 2

Describe the 3 regular polygons that will tessellate

Regular Polygon	Number of Sides	Angle Measurements	Interior Angle Total
1)			
2)			
3)			

Tessellating with Regular Polygons

Polygons will only tessellate if their interior angles add up to a multiple/factor of 360° . A triangle's interior angles always add up to 180° .

Questions

Use the information above to fill in the tables

Terms	Definition – What does the term mean?
Regular Polygon	
Interior Angles	
Sum of Angles	

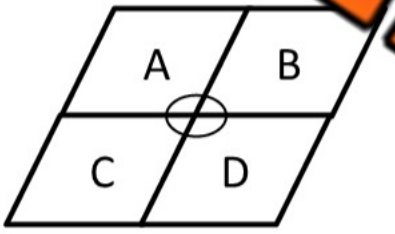
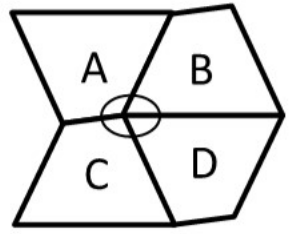
Regular Polygon	Triangle	Sum of Interior Angles (Number of Triangles x 180°)	Multiple/Factor of 360° Yes/No
1) 			
2) 			
3) 			
4) 			
5) 			
6) 			
7) 			
8) 			

Tessellating with Quadrilaterals

Every quadrilateral can be used to tessellate the plane. This is because a quadrilateral's interior angles always add up to 360° . A regular quadrilateral is easy to tessellate, whereas an irregular quadrilateral is sometimes more challenging to fit together.

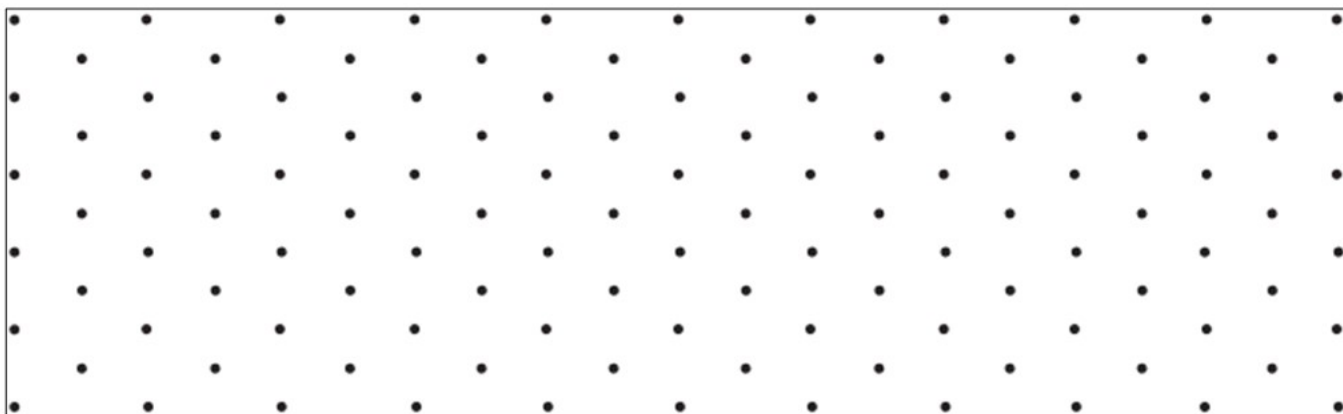
Part 1

Fill in the table below

Tessellation	Sum of the Circled Angles	Describe Transformation
		<u>From Shape A to Shape D</u>
		<u>From Shape A to Shape B</u>
		<u>From Shape A to Shape C</u>

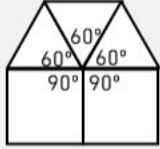
Part 2

Create a tessellation using one or multiple quadrilaterals



Tessellating with Different Polygons

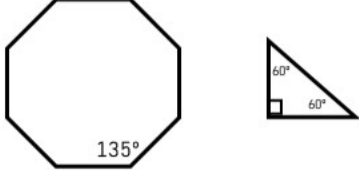
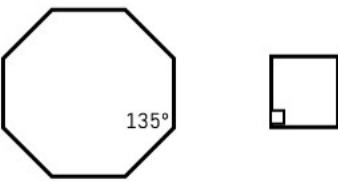
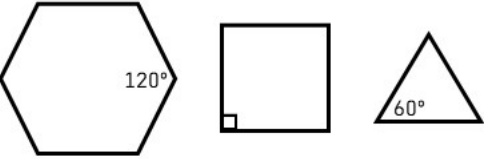
Tessellations with different polygons are often used in artwork. When artists combine polygons, they need to ensure the vertices have interior angles that add to 360° .



Using 2 squares and 3 triangles have central vertices adding to 360° ($60 + 60 + 60 + 90 + 90 = 360^\circ$)

Questions

Can the polygons be combined to create a tessellation? Explain

	Yes/No	Explanation
1) 		
2) 		
3) 		
4) 		
5) 		

Drawing Tessellations - Combining Polygons

Draw

Draw a tessellation using the combination of polygons below

1) Pentagon and Triangle

2) Square and Triangle

3) Octagon and
Quadrilateral

4) Octagon and 2 Triangles

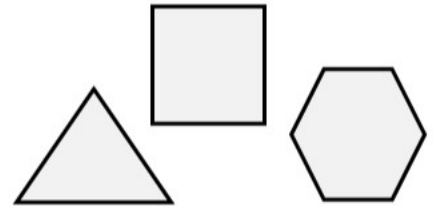
5) Hexagon, Quadrilateral,
Triangle

PREVIEW

Name: _____

Regular Tessellations

A **regular tessellation** is composed of identically sized and shaped regular polygons. To create a regular tessellation, choose one of the regular polygons and tile them. Add colours afterwards to add to the pattern.



Create

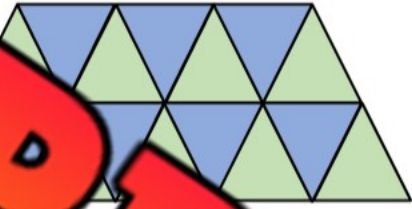
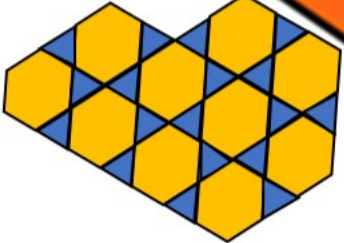
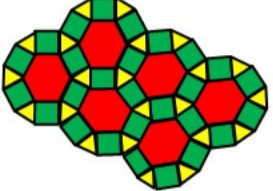
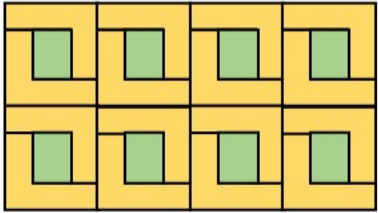
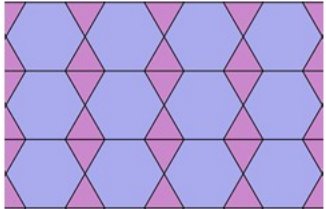
Create a regular tessellation below using regular triangles, squares, or hexagons

PREVIEW

Type of Tessellation

Questions

What type of tessellation are the examples below

Tessellation	Type of Tessellation Regular, Semi-Regular, Irregular
1) 	
2) 	
3) 	
4) 	
5) 	
6) 	

Creating Translation Tessellation

Directions

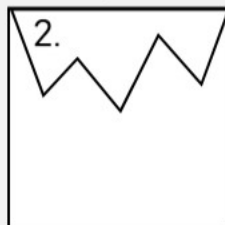
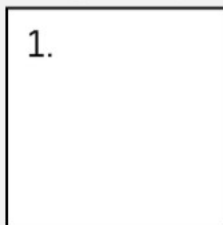
Follow the instructions to create your own translation tessellation

When creating a tessellation, we move a "tile" repeatedly to create a pattern. We can move the tile in 4 different ways – translations, reflections, rotations, and dilations.

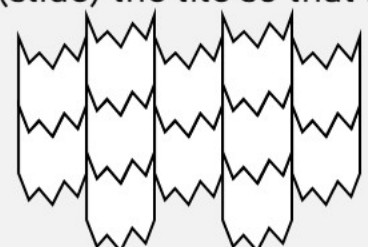
A **translation tessellation** is a tessellation that has been created by the translating (sliding) of a tile.

Instructions

- 1) Use a square piece of strong paper, like cardboard, cardstock or index cards.
- 2) Create a "nibble" by drawing a path from one corner of the square to an adjacent corner. Do not draw a straight line and do not stop halfway.
- 3) Cut along your pencil line so that you have two pieces. The piece that you designed is called the nibble piece.
- 4) Translate (slide) the nibble piece to the opposite corner and tape the straight edges together. These two pieces need to fit perfectly with no overlapping.



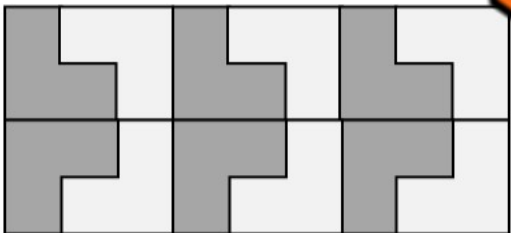
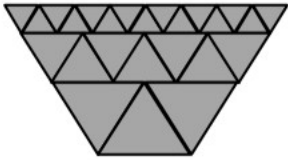
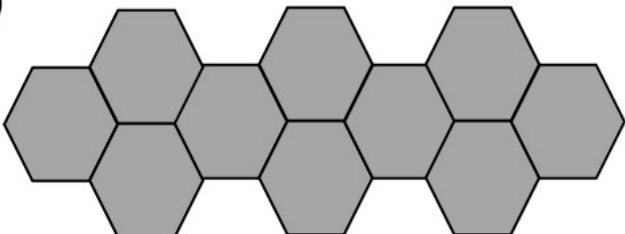
- 5) Place your tile on one of the four corners. To avoid having gaps, have the corner of the paper align with the original square you started with. The first tile you trace can hang off the edge of the paper.
- 6) Since this is a translation tessellation, you will translate (slide) the tile so that it fits together like a puzzle.
- 7) Continue translating the tile until the page is covered.
- 8) Colour your tessellation in a pattern



Describing Tessellations

Directions

Choose one tile and describe how it is being transformed – rotated, translated, reflected and/or dilated

Tessellation	Description
1) 	
2) 	
3) 	
4) 	
5) 	

Unit Test - Drawing Shapes and Tessellations

Part 1

Look at the front, top, and side views and circle the matching 3D object

Top View	Front View	Side View

Top View	Front View	Side View

Part 2

Draw the top, front, and side view of the objects below

Original Shape	Top View	Front View	Side View
1)			
2)			
3)			